Molecular Orbital Theory (MOT)

 Ψ – represents an atomic or molecular orbital wavefunction

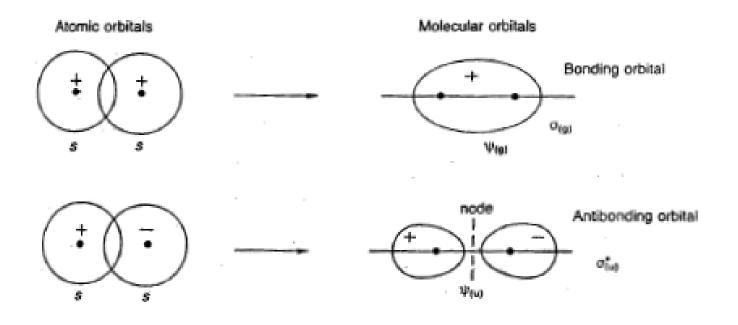
N- normalization constant c – coefficient of wavefnction

$$\Psi_{(AB)} = \left(c_1 \psi_{(A)} + c_2 \psi_{(B)} \right)$$

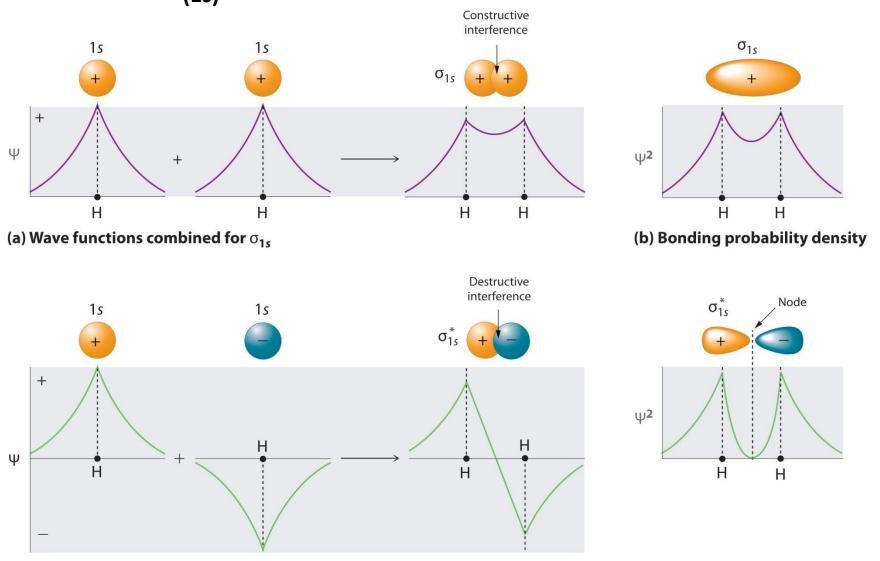
$$\psi_{(AB)}^2 = \left(c_1^2 \psi_{(A)}^2 + 2c_1 c_2 \psi_{(A)} \psi_{(B)} + c_2^2 \psi_{(B)}^2 \right)$$

Overlap of atomic orbitals





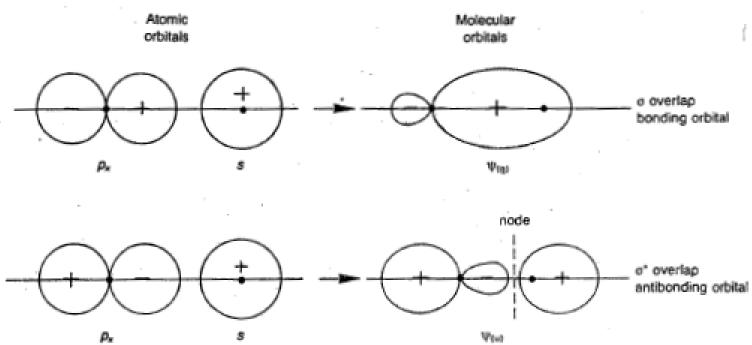
View of overlap of the wavefunctions of the valence AO (1s)



(c) Wave functions combined for σ_{1s}^*

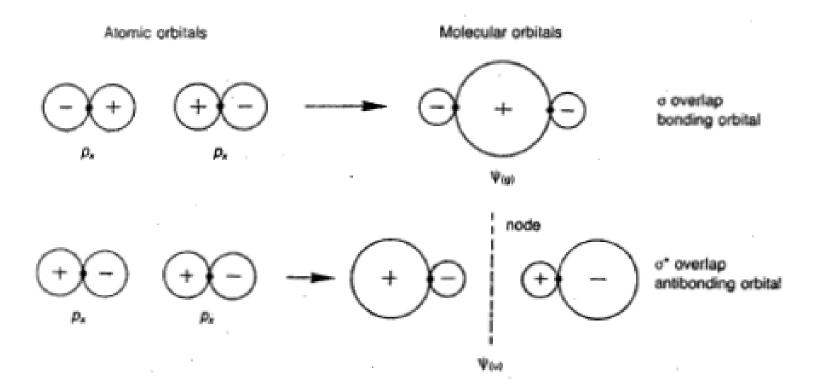
(d) Antibonding probability density

s-p mixing

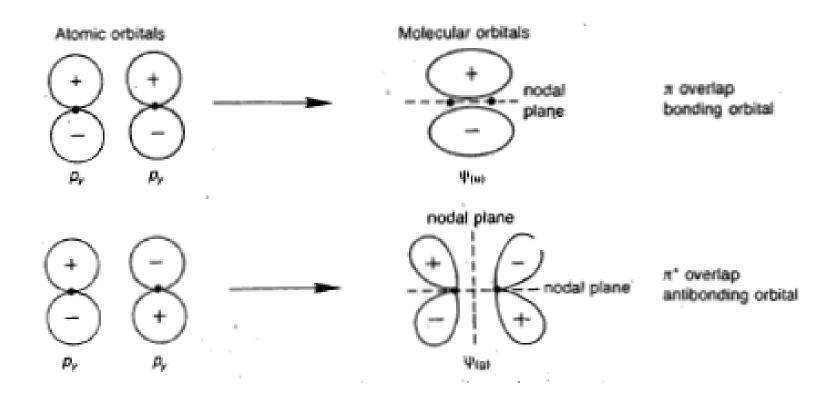


 Ψ_{0n0}

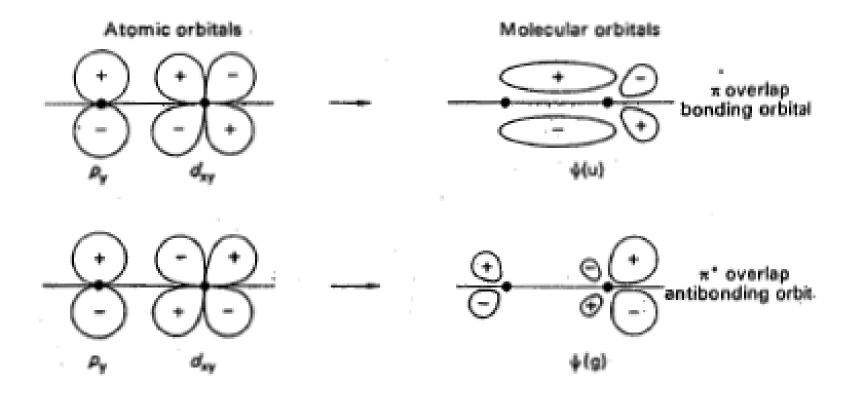
p-p head-on overlap



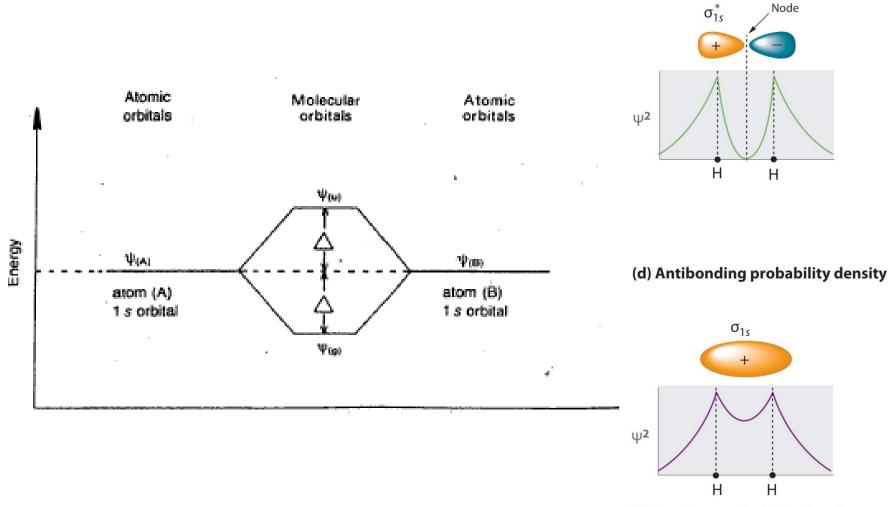
p-p lateral overlap



p-d mixing



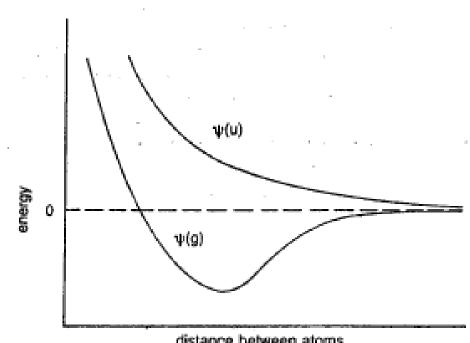
S-S overlap to form BMO and ABMO



(b) Bonding probability density

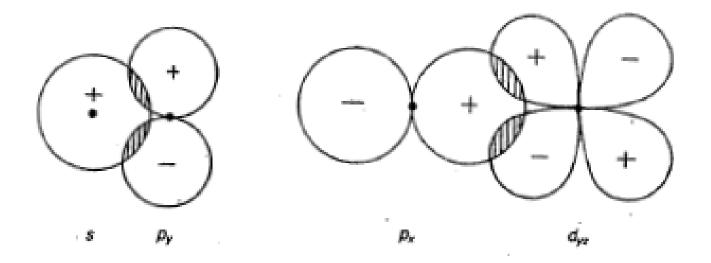
Node

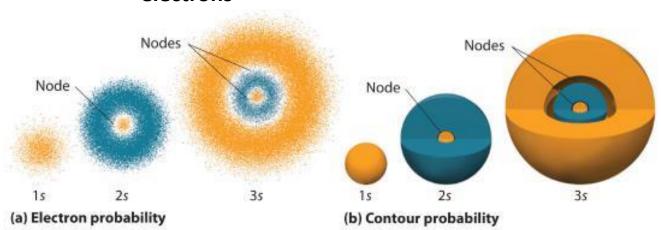
Energy profile of the BMO and ABMO



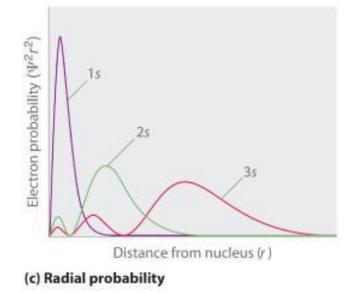
distance between atoms

Some of the restricted (or) forbidden overlap





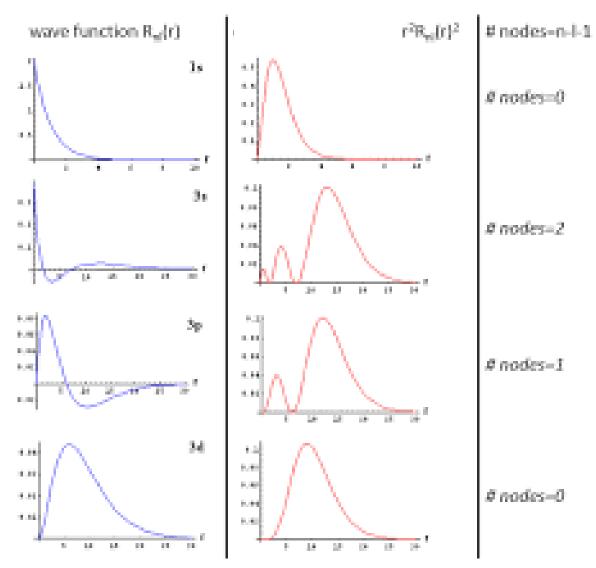




Wave functions of 1s, 3s, 3p and 3d orbitals or electrons

RDF

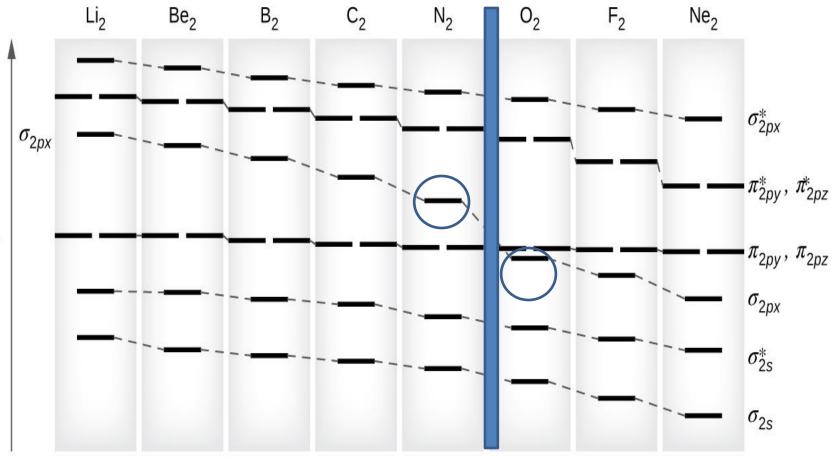
Radial Nodes



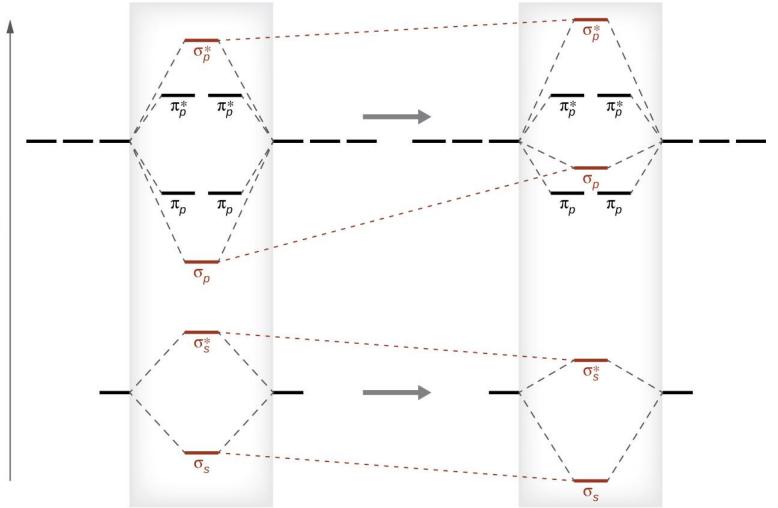
Construction of MO

No. of AO combined = No. of MO formed The MO will have the AO character which is close in energy to that MO

MO of homonuclear diatomic molecules of 2nd row elements



Effect of s-p mixing



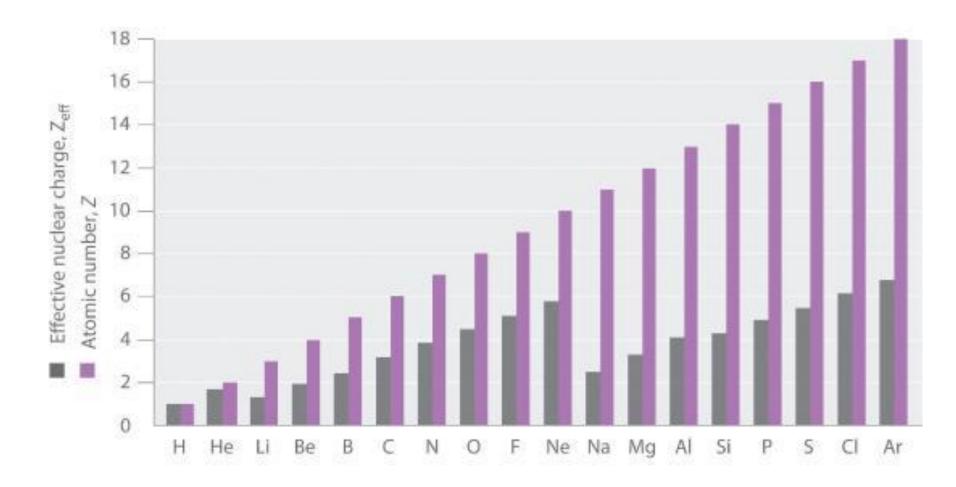
Ε

2nd row elements

Variati	on of ene	rgy level	s for ato	mic orbit	als of so	me elem	ents
H _2s2p	, 2p	Be	В	С	Ν	0	F
_1s	_ ^{2s}		2 <i>p</i>				
	_1s	_2s		2 <i>p</i>	2 <i>p</i>		
	_ 10		_2s	-	- P	2 <i>p</i>	•
		_1s		_2 <i>s</i>			2
					_2s		
			_1s			_2s	
							_2s
				_1s			
					15		
					_ 13		
						_1s	
							1 <i>s</i>

Atomic energy levels <i>E</i> in kJ mol ⁻¹ of second group elements						
Element	E_{2s}	E_{2p}	$E_{2p}-E_{2s}$			
Li	-521					
Be	-897					
В	-1350	-801	549			
С	-1871	-1022	849			
Ν	-2470	-1274	1196			
0	-3116	-1524	1592			
F	-3879	-1795	2084			
Ne	-4680	-2084	2596			

Ε

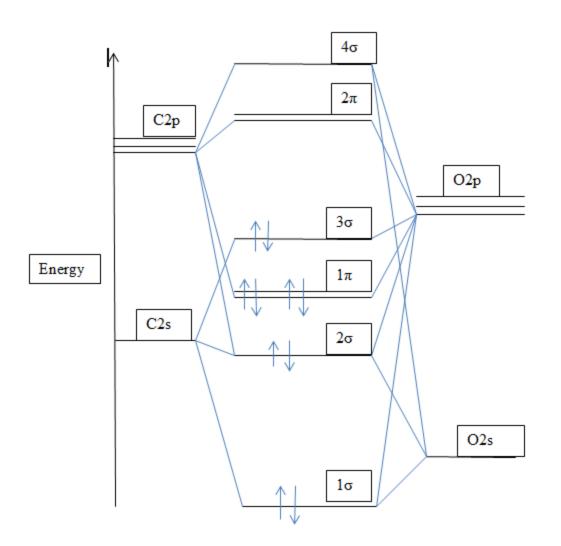


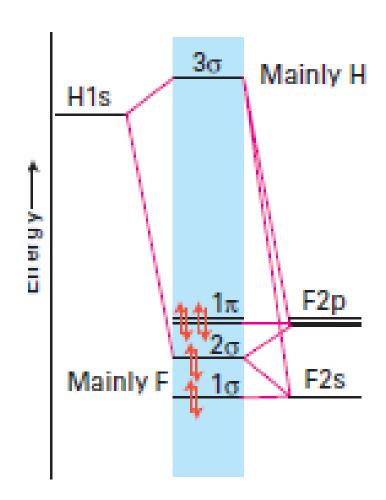
Heteronuclear diatomic molecules

CO, NO, HF

No. of AO combined = No. of MO formed The MO will have the AO character which is close in energy to that MO

CO





HF

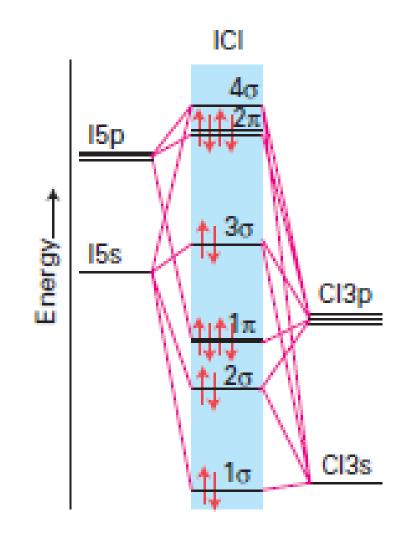


Fig. 2.24 A schematic illustration of the energies of the molecular orbitals of ICI.

Coordination Chemistry

Topics of Discussion

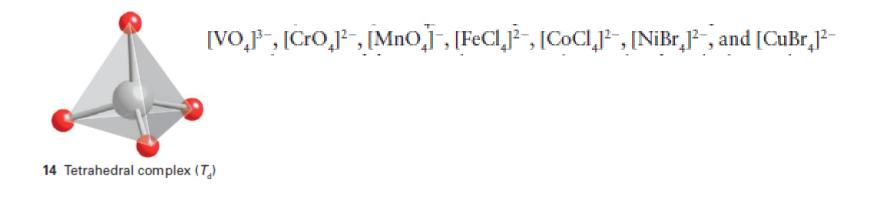
- Coordination number and geometry
- Isomerism in coordination complexes
- Crystal field theory (CFT) and Magnetism

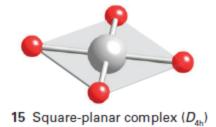
Co. No. and Geometries

Table 19.4 Coordination geometries; each describes the arrangement of the donor atoms that surround the metal centre. Note that for some coordination numbers, more than one possible arrangement of donor atoms exists.

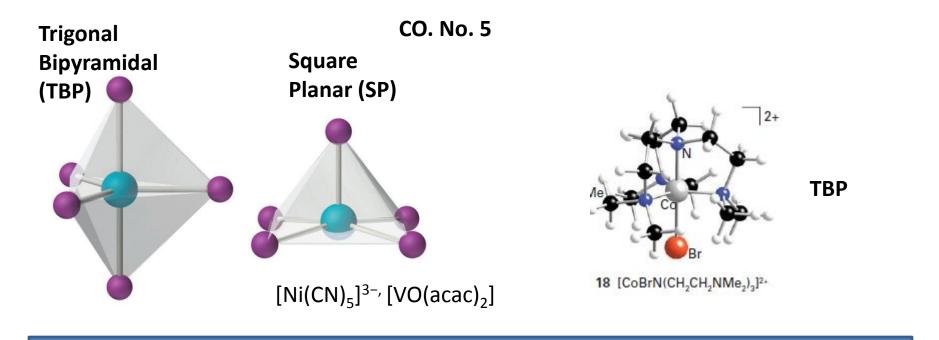
Coordination number	Arrangement of donor atoms around metal centre	Less common arrangements
2	Linear	
3	Trigonal planar	Trigonal pyramidal
4	Tetrahedral; square planar	
5	Trigonal bipyramidal; square-based pyramidal	
6	Octahedral	Trigonal prismatic
7	Pentagonal bipyramidal	Monocapped trigonal prismatic; monocapped octahedral
8	Dodecahedral; square antiprismatic; hexagonal bipyramidal	Cube; bicapped trigonal prismatic
9	Tricapped trigonal prismatic	

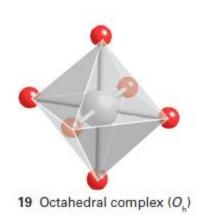
CO. No. 4

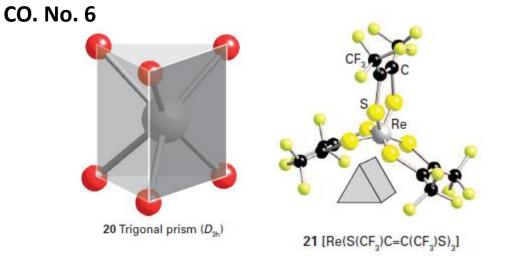


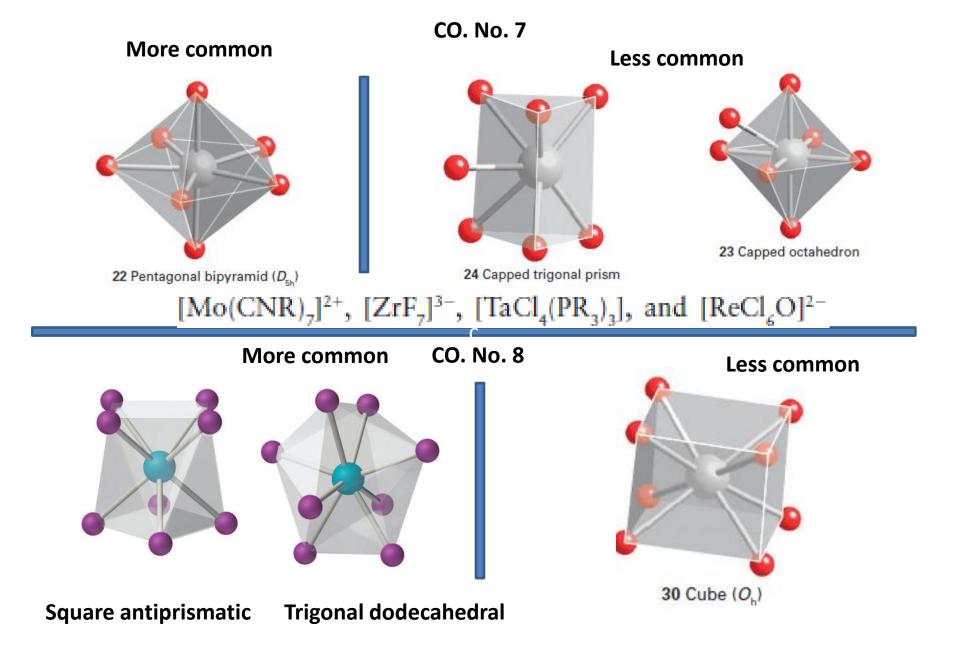


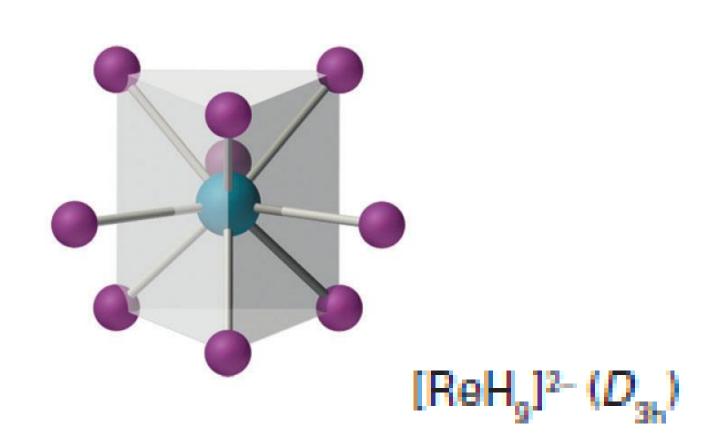
[RhCl(PPh₃)₃], [Ni(CN)₄]²⁻, [PdCl₄]²⁻, [Pt(NH₃)₄]²⁺, and [AuCl₄]⁻.





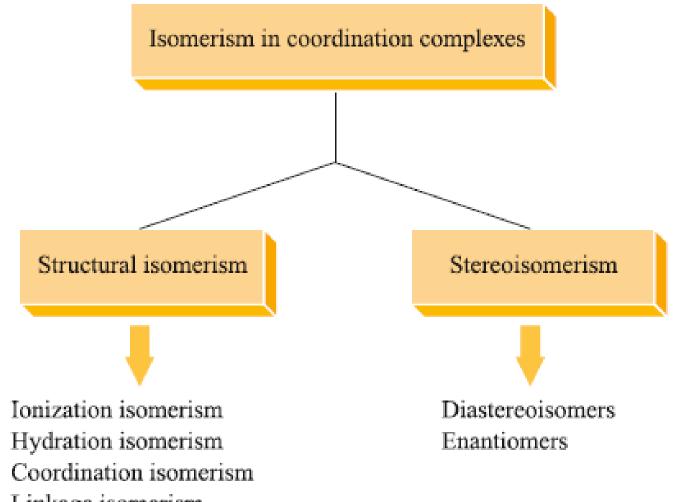






Tricapped trigonal prismatic ML₉

CO. No. 9



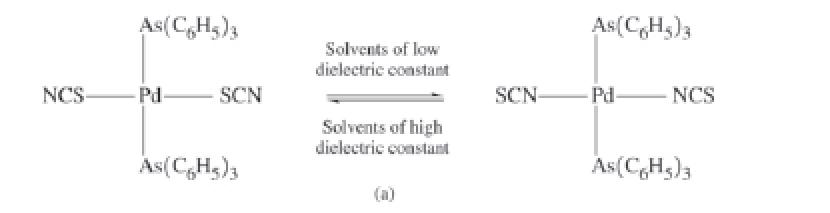
Linkage isomerism

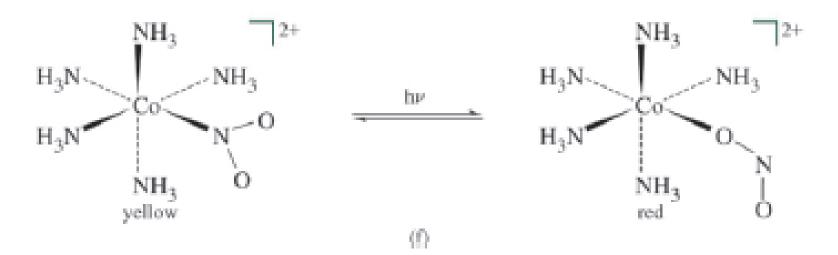
Structural isomerism in coordination complexes

Structural isomers have same molecular formula but the connectivities between the atoms in a molecule are different

 $[Co(NH_3)_5Br]SO_4 + Ba^{2+} \longrightarrow BaSO_4(s)$ Ionization isomerism $[Co(NH_3)_5SO_4]Br + Ba^{2+} \longrightarrow No reaction$ [Co(NH₁)₅Br]SO₄ + Ag⁺ ---+ No reaction $[Co(NH_{*})_{s}SO_{*}]Br + Ag^{+} \longrightarrow AgBr(s)$ Solvate isomerism dehydr. over H-SO, [Cr(H2O)6]Cl3 [Cr(H,O),]Ch dehydr. over H_SO1 [Cr(H2O)5CI]Cl2 [Cr(H20);CI]Cl2.H20 [Cr(H2O)4Cl2]CI-2H2O dehyer. over H2SO4 [Cr(H2O)5CI]Cl2 $[Cr(H_2O)_6]Cl_1 \xrightarrow{As^*} [Cr(H_2O)_6]^{3+} + 3AgCl(s)$ $[Cr(H_2O)_3Cl]Cl_2 \xrightarrow{A_8'} [Cr(H_2O)_5Cl]^{2+} + 2AgCl(s)$ Coordination isomerism $[Cr(H_2O)_4Cl_2]Cl \xrightarrow{Ag} [Cr(H_2O)_4Cl_2]^+ + AgCl(s)$ $[Co(en)_3][Cr(CN)_6]$ $[Cr(en)_3][Co(CN)_6]$ and [Pt(NH₃)₄][PtCl₆] [Pt(NH₃)₄Cl₂][PtCl₄] and Pt(II) Pt(IV) Pt(IV) Pt(ID)

Linkage isomerism





Stereoisomerism

Stereoisomers have

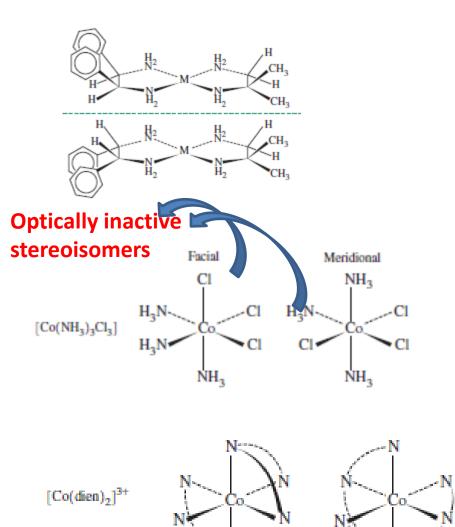
- Same molecular formula
- Connectivity or bonding between the atoms in a molecule are same
- Different spatial orientations of atoms or group of atoms in a molecule

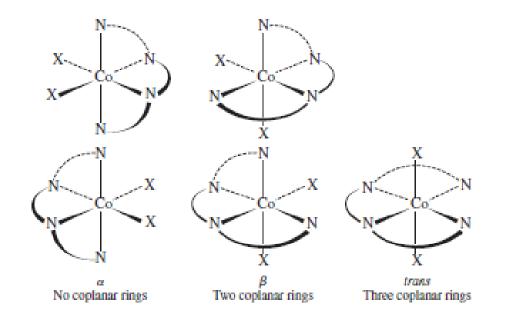
They are classified into chiral and achiral stereoisomers

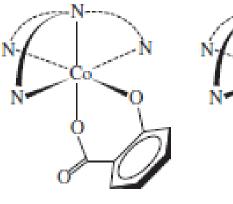
- Chiral isomers are optically active
- Achiral isomers are optically inactive

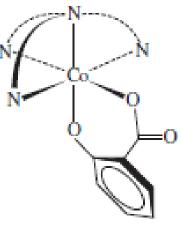
Conditions for a molecule to be chiral

- It should not have plane of symmetry
- It can have molecular plane of symmetry
- It should not have inversion symmetry, i ($S_2 = C_2 \sigma_h = i$) and also any other S_n axis of symmetry



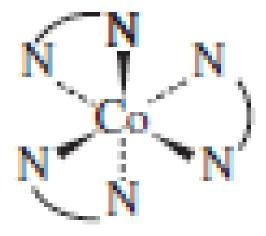




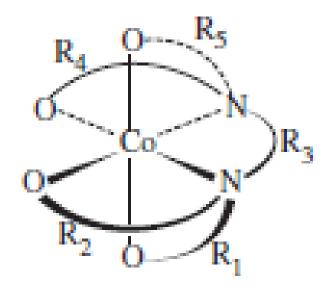


COO- cis to tertiary N

COO- trans to tertiary N

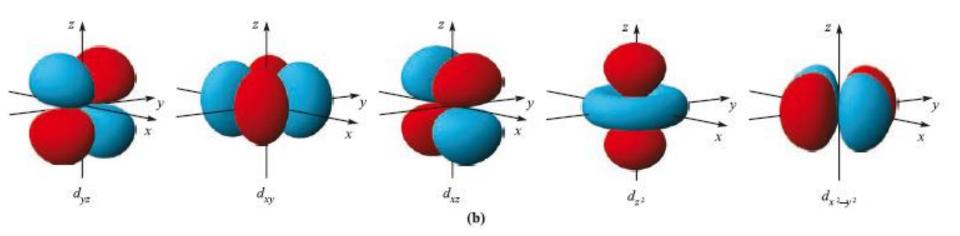


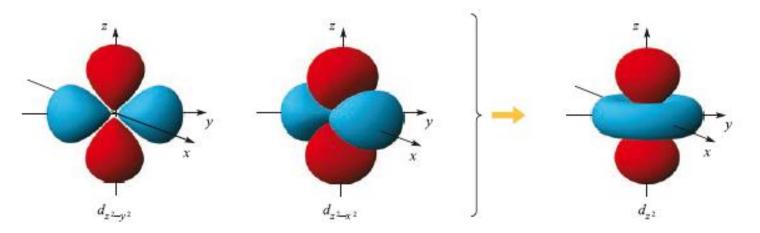
Co(en)₃

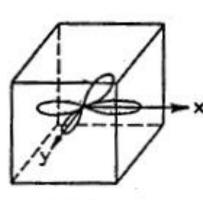


CoEDTA⁻

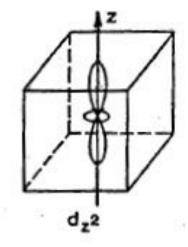
Spatial orientation of d-orbitals

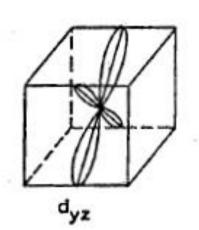


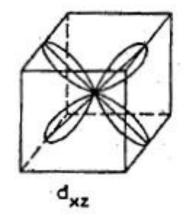


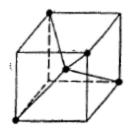


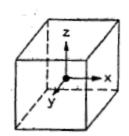
dx2_y2



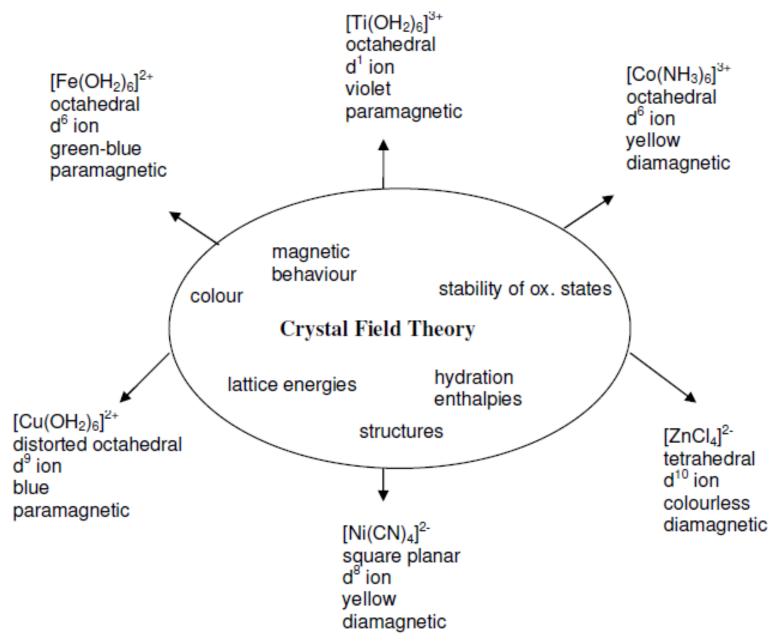








CFT- Crystal Field Theory



Assumptions of CFT

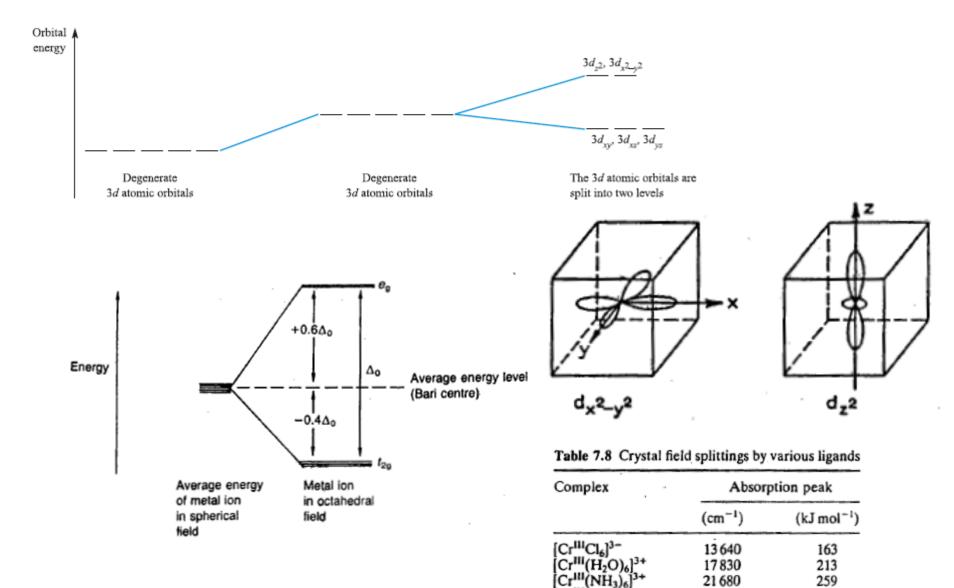
- Both the metal atom/ion and the ligands are considered as point charges
- Interaction between the M and L is purely electrostatic

Spectrochemical series

weak field ligands $I^- < Br^- < S^{2-} < CI^- < NO_3^- < F^- < OH^- < EtOH < oxalate < H_2O$ $< EDTA < (NH_3 and pyridine) < ethylenediamine < dipyridyl$ <math>< o-phenanthroline $< NO_2^- < CN^- < CO$

strong field ligands

Splitting of d-orbital in octahedral field

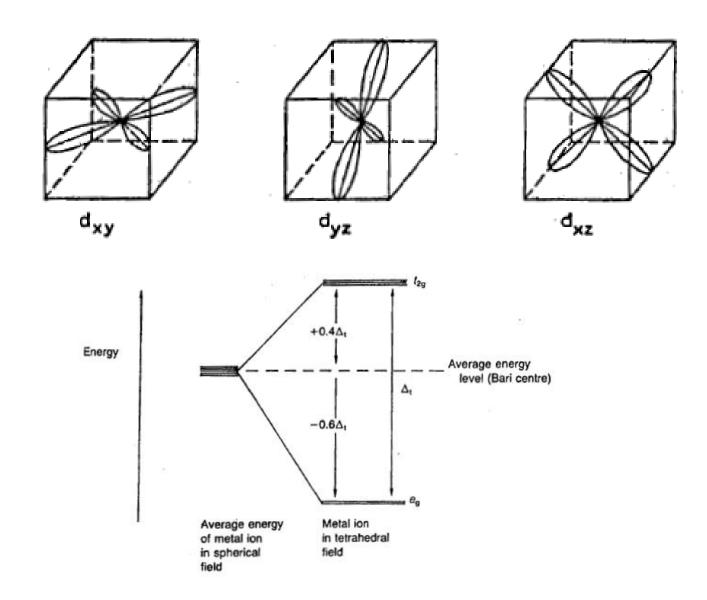


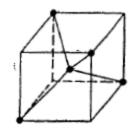
26280

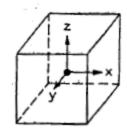
Cr^{III}(CN)₆

314

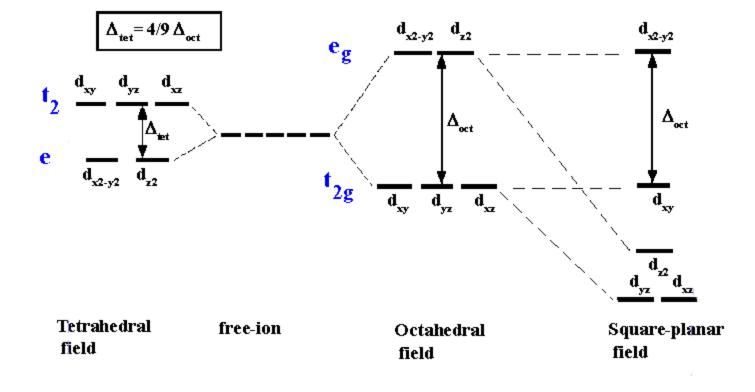
Splitting of d-orbital in tetrahedral field







Energy levels of the d-orbitals in common stereochemistries



Splitting of d orbitals and their energies in different ligand field geometries

CN.	Structure	d	de y	day	da	dy
<u>a</u> =	Linear	5.14	-3.14	-3.14	0.57	0.57
1 2	Linear	10.28	-6.28	-6.28	1.14	1.14
3	Trigonald	-3.21	5.46	5.46	-3.86	-3.86
4	Tetrahedral	-2.67	-2.67	1.78	1.78	1.78
4	Square planar	-4.28	12.28	2.28	-5.14	-5.14
5	Trigonal bipyramidal	7.07	-0.82	-0.82	-2.72	-2.72
5	Square pyramidal	0.86	9.14	-0.86	-4.57	-4.57
5	Octahedral	6.00	6.00	-4.00	-4.00	-4.00
	Trigonal prismatic	0.96	-5.84	- 5.84	5.36	5.36
6 7 8	Pentagonal bipyramidal	4.93	2.82	2.82	- 5.28	- 5.28
8	Cubic	-5.34	-5.34	3.56	3.56	3.56
8	Square antiprismatic	- 5.34	-0.89	-0.89	3.56	3.56
9	[ReH_] ²⁻ structure (see Fig. 12.40)	-2.25	-0.38	-0.38	1.51	1.51
12	Icosahedral	0.00	0.00	0.00	0.00	0.00

			HCar II	gand heid	Arranger	nent m	strong in	gand field
of d electrons	t _{2g}	eg	CFSE Δ_{o}	Spin only magnetic moment µ _s (D)	t _{2g}	eş	$CFSE \Delta_o$	Spin only magnetic moment µ _s (D)
d1	1		-0.4	1.73	1		-0.4	1.73
d ²	[t t]		-0.8	2.83	<u>†</u> [†]	Ē	-0.8	2.83
d^3	<u>† † †</u>		-1.2	3.87	t († (†		-1.2	3.87
d ⁴	<u>† † †</u>	t	-1.2 +0.6 = -0.6	4.90	<u>†↓†</u> †		-1.6	2.83
d ⁵	<u>† † †</u>	t t	-1.2 + 1.2 = -0.0	5.92	<u> </u>		-2.0	1.73
d ⁶		<u>†</u> †	-1.6 +1.2 = -0.4	4.90	TI TI TI		-2.4	0.00
d ⁷	†↓ †↓ †	† †	-2.0 +1.2 = -0.8	3.87	<u> </u>	1	-2.4 +0.6 = -1.8	1.73
d ⁸ .	<u> </u>	1 1	-2.4 +1.2 = -1.2	2.83	<u> </u>	<u>†</u> †	-2.4 +1.2 = -1.2	2.83
d°	<u> </u>	†↓ †	-2.4 +1.8 = -0.6	1.73	<u> </u>	†↓†	-2.4 +1.8 = -0.6	1.73
d ¹⁰	11 11 11	t1 t1	-2.4 +2.4 = 0.0	0.00	<u> </u>	†↓†↓	-2.4 +2.4 = 0.0	0.00

.

Table 7.12 CFSE and electronic arrangements in octahedral complexes

	cm ⁻¹	kJ mol ⁻¹
[Co(NH ₃) ₆] ³⁺	24 800	296
[Rh(NH ₃) ₆] ³⁺	34 000	406
$[Ir(NH_3)_6]^{3+}$	41000	490

Table 7.10 Δ_0 crystal field splittings in one group